



# Class 9 Maths Chapter 1



## End-of-Chapter Exercises – Solutions

### ***Orienting Yourself: The Use of Coordinates***

These are the **actual 16 end-of-chapter questions** from the new *Ganita Manjari* Chapter 1. Questions marked \* are starred problems in the textbook.

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### **Q1. Point of Intersection of the Axes**

**Question:** What are the x-coordinate and y-coordinate of the point of intersection of the two axes?

**Solution:**

The x-axis and y-axis intersect at the **origin**.

Therefore:

**x-coordinate = 0**

**y-coordinate = 0**



**Answer: (0, 0)**

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### **Q2. Point on a Line Parallel to the y-axis**

Point **W** has x-coordinate **-5**. Point **H** lies on the line through **W** parallel to the y-axis.

**Solution:**

A line parallel to the y-axis has the **same x-coordinate**.

Therefore:

**H = (-5, y)**

- If  $y > 0$ , H lies in **Quadrant II**.
- If  $y < 0$ , H lies in **Quadrant III**.
- If  $y = 0$ , H lies on the **x-axis**.

✓ **Answer:**

$$H = (-5, y)$$

H can lie in **Quadrant II, Quadrant III, or on the x-axis**.

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## **Q3. Points R, A, M and P**

Given:

$$R(3, 0), A(0, -2), M(-5, -2), P(-5, 2)$$

### **(i) Two perpendicular sides**

- $AM$  is horizontal.
- $MP$  is vertical.

Therefore:

✓  **$AM \perp MP$**

### **(ii) A side parallel to an axis**

$AM$  is parallel to the **x-axis**.

✓ **Answer:  $AM$**

### **(iii) Mirror images**

Points  $A(0, -2)$  and ? need to be compared carefully with the given points.

$M(-5, -2)$  and  $P(-5, 2)$  have the same x-coordinate and opposite y-coordinates.

Therefore they are mirror images about the **x-axis**.

✓ **Answer:**

M and P are mirror images in the x-axis.

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## Q4. Point Z(5, -6)

Plot:

$$Z = (5, -6)$$

Since  $x$  is positive and  $y$  is negative, Z lies in **Quadrant IV**.

To construct a right-angled triangle, one convenient choice is:

- $I = (5, 0)$
- $N = (0, -6)$

Then:

$$ZI = 6 \text{ units}$$

$$ZN = 5 \text{ units}$$

Using Pythagoras:

$$IN = \sqrt{5^2 + 6^2}$$

$$IN = \sqrt{61} \text{ units}$$

 **Answer:**

The three side lengths are:

**5 units, 6 units and  $\sqrt{61}$  units**

The exact coordinates of the auxiliary points can vary, as the textbook notes.

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## Q5. What if Negative Numbers Did Not Exist?

Without negative numbers, coordinates would only allow us to represent positions:

- to the **right** of the origin, and
- **above** the origin.

We would not be able to represent positions to the left or below the origin.

Therefore, we could not locate all points in a 2-D plane.

✓ **Answer:**

**No. Without negative numbers, we could not locate all points on a 2-D plane.**

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## Q6. Are M, A and G Collinear?

Given:

$$M(-3, -4), A(0, 0), G(6, 8)$$

Use distances:

$$MA = \sqrt{(0+3)^2 + (0+4)^2}$$

$$= \sqrt{9+16}$$

$$= 5$$

Similarly,

$$AG = \sqrt{(6-0)^2 + (8-0)^2}$$

$$= \sqrt{36+64}$$

$$= 10$$

And:

$$MG = \sqrt{(6+3)^2 + (8+4)^2}$$

$$= \sqrt{81+144}$$

$$= 15$$

Since:

$$MA + AG = MG$$

$$5 + 10 = 15$$

✓ **Answer:**

Yes, M, A and G lie on the same straight line.

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## Q7. Check R, B and C

Given:

$$R(-5, -1), B(-2, -5), C(4, -12)$$

Calculate:

$$RB = \sqrt{(-2+5)^2 + (-5+1)^2}$$

$$= \sqrt{9+16}$$

$$= 5$$

$$BC = \sqrt{(4+2)^2 + (-12+5)^2}$$

$$= \sqrt{36+49}$$

$$= \sqrt{85}$$

$$RC = \sqrt{(4+5)^2 + (-12+1)^2}$$

$$= \sqrt{81+121}$$

$$= \sqrt{202}$$

Since:

$$RB + BC \neq RC$$

✓ **Answer:**

R, B and C are not collinear.

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## ★ Q8. Constructing Triangles

### (i) Right-angled isosceles triangle

One possible answer using the origin:

$$O(0, 0), A(4, 0), B(0, 4)$$

Here:

$$OA = OB = 4$$

and

$$OA \perp OB$$

✓ **Answer:**

$$O(0, 0), A(4, 0), B(0, 4)$$

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### (ii) Isosceles triangle

One possible example:

$$O(0, 0)$$

$$A(-3, -3) \rightarrow \text{Quadrant III}$$

$$B(3, -3) \rightarrow \text{Quadrant IV}$$

Then:

$$OA = OB$$

Therefore it is an isosceles triangle.

✓ **One possible answer:**

$O(0,0)$ ,  $A(-3,-3)$ ,  $B(3,-3)$

Other valid coordinate choices are possible.

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## Q9. Checking the Midpoint

| S              | M              | T               | Is M midpoint? | Reason                      |
|----------------|----------------|-----------------|----------------|-----------------------------|
| $(-3, 0)$<br>) | $(0, 0)$       | $(3, 0)$        | ✓ Yes          | M is halfway                |
| $(2, 3)$       | $(3, 4)$       | $(4, 5)$        | ✓ Yes          | M is average of coordinates |
| $(0, 0)$       | $(0, 5)$       | $(0, -1)$<br>0) | ✗ No           | Midpoint is $(0, -5)$       |
| $(-8, 7)$<br>) | $(0, -2)$<br>) | $(6, -3)$<br>)  | ✗ No           | Midpoint is $(-1, 2)$       |

### Connection:

If  $M$  is the midpoint of  $ST$ :

$$M = ((x_1+x_2)/2, (y_1+y_2)/2)$$

So each coordinate of  $M$  is the **average of the corresponding coordinates of  $S$  and  $T$** .

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## Q10. Find B

Given:

$M(-7, 1)$

is the midpoint of:

$A(3, -4)$  and  $B(x, y)$ .

Using the midpoint formula:

$$-7 = (3+x)/2$$

$$-14 = 3+x$$

$$x = -17$$

For y:

$$1 = (-4+y)/2$$

$$2 = -4+y$$

$$y = 6$$

✓ **Answer:**

$$B = (-17, 6)$$

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## Q11. Points of Trisection

Given:

$$A(4, 7) \text{ and } B(16, -2)$$

The total change is:

$$\Delta x = 16 - 4 = 12$$

$$\Delta y = -2 - 7 = -9$$

Divide each by 3:

$$\Delta x / 3 = 4$$

$$\Delta y / 3 = -3$$

Therefore:

**Point P:**

$$P = (4+4, 7-3)$$

$$P = (8,4)$$

**Point Q:**

$$Q = (8+4, 4-3)$$

$$Q = (12,1)$$

✓ **Answer:**

$$P = (8,4)$$

$$Q = (12,1)$$

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## Q12. Points on a Circle

Given:

$$A(1, -8), B(-4, 7), C(-7, -4)$$

The centre is:

$$O(0,0)$$

Calculate:

$$OA = \sqrt{1^2 + (-8)^2}$$

$$= \sqrt{65}$$

$$OB = \sqrt{(-4)^2 + 7^2}$$

$$= \sqrt{65}$$

$$OC = \sqrt{(-7)^2 + (-4)^2}$$

$$= \sqrt{65}$$

Therefore all three points are at the same distance from O.

✓ **(i) Answer:**

They lie on the same circle.

$$\text{Radius} = \sqrt{65} \text{ units}$$

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**(ii) Check D and E**

$$D(-5, 6)$$

$$OD = \sqrt{(25+36)} = \sqrt{61}$$

Since:

$$\sqrt{61} < \sqrt{65}$$

**D lies inside the circle.**

For:

$$E(0, 9)$$

$$OE = 9$$

Since:

$$9 > \sqrt{65}$$

**E lies outside the circle.**

 **Answer:**

- **D → Inside the circle**
  - **E → Outside the circle**
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## **Q13. Find A, B and C**

Midpoints are:

$$D(5, 1), E(6, 5), F(0, 3)$$

Using the midpoint relationships between the vertices:

**Coordinate results:**

**A = (-1, -1)**

**B = (11, 7)**

**C = (1, 7)**

 **Answer:**

**A(-1,-1), B(11,7), C(1,7)**

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## **Q14. City Street Coordinate Model**

The city has:

- N–S roads
- E–W roads
- roads spaced **200 m apart**
- 10 streets in each direction

Scale:

**1 cm = 200 m**

**(i)**

Draw a grid representing the city with the given scale.

**(ii)**

An intersection is named using:

**(N–S street number, E–W street number)**

Therefore:

**(a) (4, 3)**

There is **1 intersection** corresponding to the fourth N–S street and third E–W street.

**(b) (3, 4)**

There is also **1 intersection** corresponding to the third N–S street and fourth E–W street.

✓ **Answers:**

(a) 1

(b) 1

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## Q15. Computer Graphics

Screen:

**800 pixels × 600 pixels**

Circle A:

Centre A(100, 150)

Radius = **80 pixels**

Circle B:

Centre B(250, 230)

Radius = **100 pixels**

**(i) Do the circles extend outside the screen?**

For A:

- x-range = 100–80 to 100+80
- = **20 to 180**
- y-range = 150–80 to 150+80
- = **70 to 230**

So A is completely inside.

For B:

- x-range = 250–100 to 250+100
- = **150 to 350**
- y-range = 230–100 to 230+100

- = 130 to 330

So B is also completely inside.

✓ **Answer:**

**Neither circle lies outside the screen.**

**(ii) Do the circles intersect?**

Distance between centres:

$$AB = \sqrt{(250-100)^2 + (230-150)^2}$$

$$= \sqrt{150^2 + 80^2}$$

$$= \sqrt{28900}$$

$$= 170 \text{ pixels}$$

Sum of radii:

$$80 + 100 = 180$$

Difference:

$$100 - 80 = 20$$

Since:

$$20 < 170 < 180$$

✓ **Answer:**

**Yes, the two circles intersect.**

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## ★ Q16. Is ABCD a Square?

Given:

$$A(2, 1)$$

$$B(-1, 2)$$

$$C(-2, -1)$$

$$D(1, -2)$$

Calculate:

$$AB = \sqrt{(-1-2)^2 + (2-1)^2}$$

$$= \sqrt{10}$$

Similarly:

$$BC = \sqrt{10}$$

$$CD = \sqrt{10}$$

$$DA = \sqrt{10}$$

All four sides are equal.

Now check a diagonal:

$$AC = \sqrt{(-2-2)^2 + (-1-1)^2}$$

$$= \sqrt{20} = 2\sqrt{5}$$

and:

$$BD = \sqrt{(1+1)^2 + (-2-2)^2}$$

$$= \sqrt{20} = 2\sqrt{5}$$

The diagonals are equal and the sides are equal, so ABCD is a square.

**Area:**

Side<sup>2</sup>:

$$(\sqrt{10})^2 = 10$$

 **Answer:**

**ABCD is a square.**

**Area = 10 square units**

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# END-OF-CHAPTER QUICK ANSWER KEY

| Q  | Answer                                                                |
|----|-----------------------------------------------------------------------|
| 1  | $(0, 0)$                                                              |
| 2  | $H = (-5, y)$ ; Quadrants II/III or x-axis                            |
| 3  | $AM \perp MP$ ; $AM \parallel x\text{-axis}$ ; M & P mirror in x-axis |
| 4  | Possible sides: 5, 6, $\sqrt{61}$ units                               |
| 5  | No; negative coordinates are needed for the entire plane              |
| 6  | Yes, collinear                                                        |
| 7  | No, not collinear                                                     |
| 8  | Multiple valid coordinate answers                                     |
| 9  | Yes, Yes, No, No                                                      |
| 10 | $B = (-17, 6)$                                                        |
| 11 | $P = (8, 4)$ , $Q = (12, 1)$                                          |
| 12 | Radius $\sqrt{65}$ ; D inside, E outside                              |
| 13 | $A(-1, -1)$ , $B(11, 7)$ , $C(1, 7)$                                  |
| 14 | $(4, 3) \rightarrow 1$ ; $(3, 4) \rightarrow 1$                       |
| 15 | Both inside; circles intersect                                        |
| 16 | Square; area = <b>10 sq units</b>                                     |

**Important:** Questions 8 and parts of 4 allow multiple valid coordinate constructions, so the answer shown is **one possible correct answer**, consistent with the textbook's note that answers may differ.